# AIRS IN ORBIT BIAS AND NOISE EVALUATION

#### CHANNEL BIAS

MEAN DIFFERENCE BETWEEN OBSERVED RADIANCE (CLEAR CONDITIONS) AND RADIANCE COMPARED FROM "TRUTH"

$$\Delta R = R_i^{OBS} - R_i^{COMP}$$

ERRORS IN PHYSICS, INSTRUMENT RESPONSE FUNCTION, CALIBRATION

ADD BIAS TO COMPUTED RADIANCES

NEEDED IN CLOUD CLEARING AND RETRIEVAL STEPS

# **CHANNEL NOISE**

STANDARD DEVIATION BETWEEN OBSERVED (CLEAR CONDITIONS) RADIANCES AND BIAS CORRECTED RADIANCES COMPUTED FROM THE "TRUTH"

COMBINES INSTRUMENTAL NOISE AND COMPUTATIONAL NOISE

NEEDED FOR CHANNEL NOISE COVARIANCE MATRIX

TWO COMPLICATIONS

WHEN IS IT CLEAR

WHAT TO USE FOR TRUTH

## EXPERIENCE WITH TOVS DATA

RAN RETRIEVALS ON 2X2 ARRAY OF HIRS2 SPOTS

CASE CALLED CLEAR IF ALL SPOTS THOUGHT TO BE CLEAR  $\approx 30\%$  OF ACCEPTED RETRIEVALS

LOW CONTRAST BETWEEN SPOTS

OBSERVED RADIANCES CLOSE TO WHAT IS EXPECTED

"TRUTH" USED 6 HOUR FORECAST T(P), Q(P) AND RETRIEVED  $\mathrm{T}_{\mathrm{SKIN}}$ 

FORECAST IS THOUGHT TO BE GLOBALLY UNBIASED FOR T(P)

COMPUTE BIAS FOR TEMPERATURE SOUNDING CHANNELS ONLY

H4-H7, H13-H15, M2-M4

WINDOW CHANNELS ASSUMED UNBIASED

MOISTURE, OZONE CHANNELS NOT CORRECTED

## FORM OF TOVS BIAS CORRECTION

BIAS DEPENDS ON SCENE, SATELLITE ZENITH ANGLE  $\theta$ 

**USED FORM** 

$$\Delta\Theta_{i} = A_{i} + B_{i}(\Theta_{i} - \overline{\Theta}_{i}) + C_{i}\cos\theta + D_{i}(\Theta_{i} - \overline{\Theta}_{i})\cos\theta$$

WHERE  $\overline{\Theta}$  IS ENSEMBLE AVERAGE BRIGHTNESS TEMPERATURE

KEPT AN ENSEMBLE OF LATEST 2000 CASES

CASES MUST BE CLEAR

RETRIEVAL MUST BE ACCEPTED

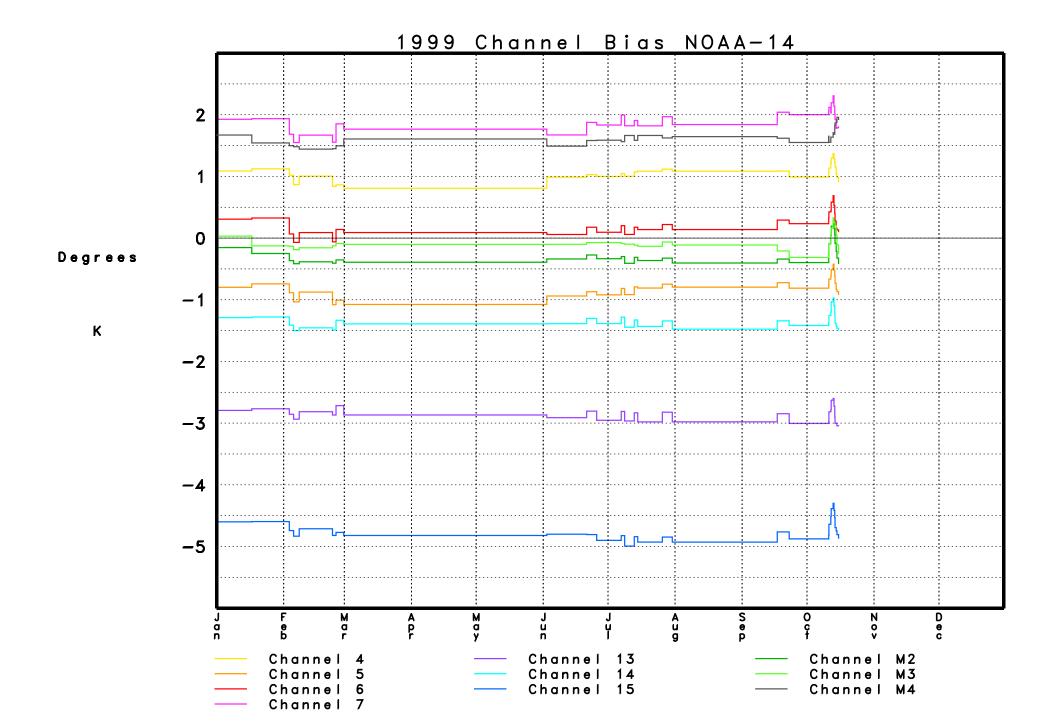
RETRIEVAL MUST BE CLOSE TO FORECAST

KEPT TRACK OF AVERAGE BIAS EVERY TIME 150 NEW CASES ADDED

$$\overline{\Delta\Theta}_{i}^{N} = A_{i}^{N} + C_{i}^{N} \overline{\cos \theta} = A_{i}^{N} + 0.82C_{i}^{N}$$

CHANGE TO NEW COEFFICIENTS IF  $\left| \overline{\Delta \Theta}_{i}^{N} - \overline{\Delta \Theta}_{i}^{O} \right| > 0.3 \text{K for any channel}$   $\overline{\Delta \Theta}_{i}^{O}$  IS BASED ON COEFFICIENTS USED TO PRODUCE RETRIEVALS NEW COEFFICIENTS BECOME OLD COEFFICIENTS IF CHANGED

COEFFICIENTS CHANGE SLOWLY WITH TIME



## **APPROACH WITH AIRS**

#### **CLEAR TEST**

WE USE EQUATION

$$\hat{R}_{i} = R_{i,AVG} + \sum_{j} \eta_{j} \left( R_{i,AVG} - R_{i,j} \right) = R_{i,AVG} + \sum_{j} \Delta R_{i,j}$$

FOR j=1,9 FIELDS OF VIEW

WE LOOK AT EIGENVALUES OF  $\Delta R' N^{-1} \Delta R$  FOR 76 CLOUD FILTERING CHANNELS N IS CHANNEL NOISE COVARIANCE MATRIX

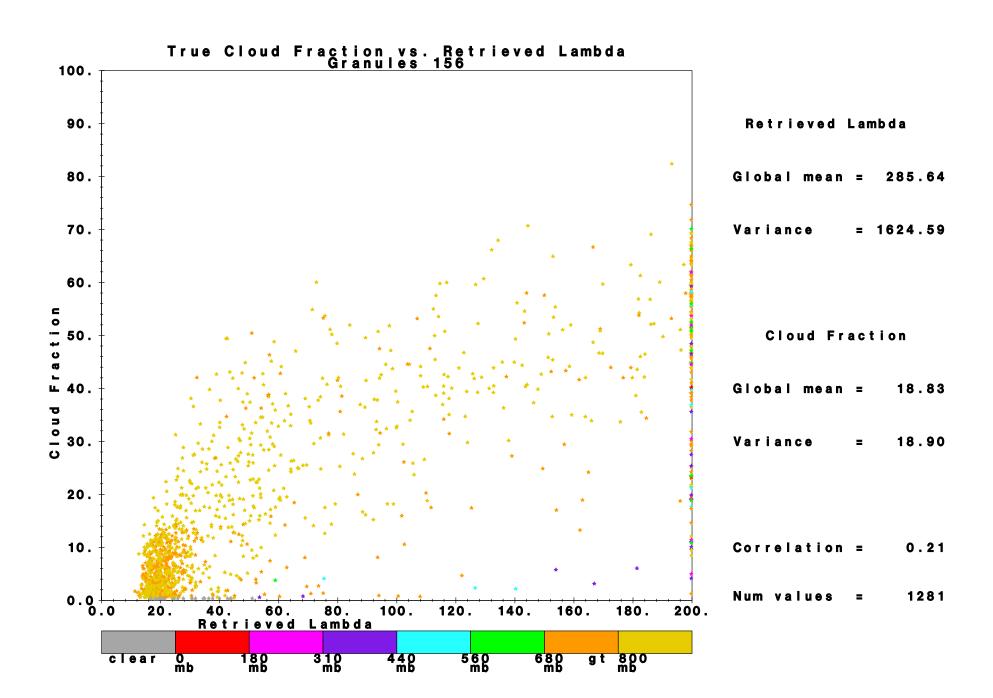
LARGE EIGENVALUES IMPLY CLOUD FORMATIONS

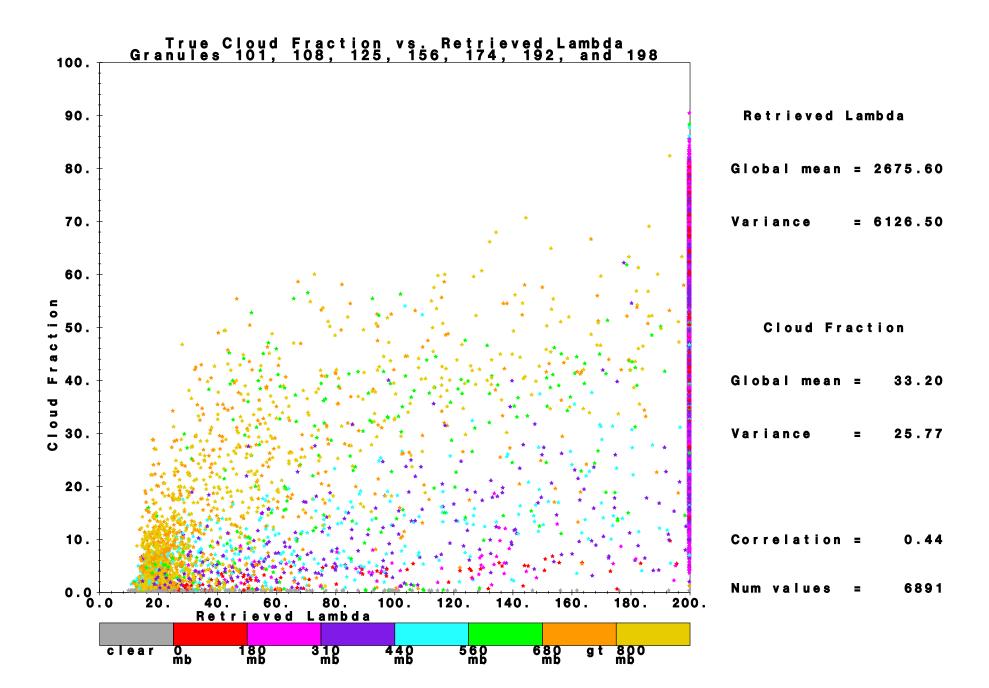
CURRENTLY SAY CLEAR IF NO EIGENVALUE GREATER THAN 20

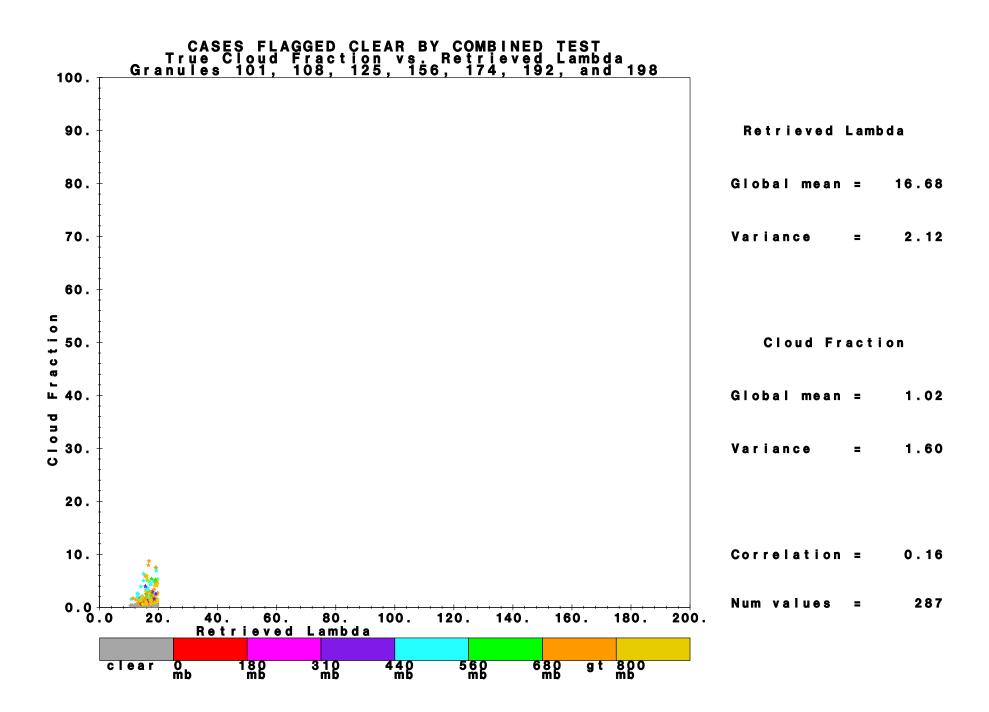
SET ALL  $\eta_j = 0$ 

APPROACH NEEDS REFINEMENT AS A CLEAR CASE TEST

CAN ALSO USE RETRIEVED CLOUD FRACTION α







# TRUE CLOUD COVER STATISTICS FOR CLEAR FLAG TEST TRUE CLEAR CASES ( $\alpha_{TRUE} < .02$ )

GRANULE	TRUE CLEAR	AVG COVER %	FOUND CLR $\lambda < 20$	AVG COVER %	FOUND CLR $\lambda < 20, \alpha < .02$	AVG COVEI
101	17	1.36	7	1.32	2	1.81
108	26	0.41	14	0.29	9	0.23
125	639	0.32	328	0.25	175	0.29
156	211	0.82	106	0.92	49	0.67
174	3	1.03	0	0	0	0
192	26	1.26	7	1.31	1	1.22
198	0	0	0	0	0	0
ALL	922	0.49	462	0.44	236	0.39

# TRUE CLOUDY CASES ( $\alpha_{TRUE} < .02$ )

	TRUE	AVG	FOUND CLR	AVG	FOUND CLR	AVG
GRANULE	CLOUDY	COVER %	$\lambda < 20$	COVER %	$\lambda < 20, \alpha < .02$	COVEI
101	868	40.78	43	13.24	2	5.07
108	1024	49.61	2	4.06	0	0
125	577	14.67	54	4.26	28	3.68
156	1070	22.38	210	6.33	19	4.26
174	919	42.86	3	3.89	1	4.85
192	968	34.73	3	3.11	1	2.15
198	551	67.27	0	0	0	0
ALL	5969	38.26	315	6.85	51	3.95

# WHAT TO USE FOR "TRUTH"

WE DO NOT PLAN TO USE A FORECAST MODEL IN OUR ANALYSIS OF THE DATA

RADIOSONDES ARE SPARSE (NEED CLEAR CASES) AND INCOMPLETE VERTICALLY

WE PLAN TO USE THE SOLUTION AS "TRUTH"

MANY REDUNDANT CHANNELS AT MOST LEVELS

SOLUTION SHOULD NOT BE AFFECTED BY BIASES IN A GIVEN CHANNEL

STATISTICS KEPT FOR LAST 2000 CLEAR ACCEPTED CASES

UPDATE BIAS COEFFICIENTS WHEN A CHANNEL AVERAGE BIAS CHANGES CONSIDERABLY

# FORM OF BIAS EQUATION

CHANNEL BIAS DEPENDS ON STATE, ZENITH ANGLE

THE FOLLOWING FORM IS PROBABLY SUFFICIENT

$$\Delta\Theta_{i} = A_{i,0} + \sum_{i=1}^{15} A_{i,j} \left(\Theta_{j} - \overline{\Theta}_{j}\right) + \sum_{k=1}^{4} B_{i,k} \left(\Theta_{k} - \overline{\Theta}_{k}\right) + C_{i} \sec \theta$$

WHERE  $\Theta_{i}$  AND  $\Theta_{k}$  ARE OBSERVED AMSU AND HSB RADIANCES

 $\overline{\Delta\Theta_i} = A_{i,0} + 0.82 C_i$  IS MONITORED FOR CHANGES